Hierarchical Classification of Web Content

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ABSTRACT
This paper explores the use of hierarchical structure for classifying a large, heterogeneous collection of web content. The hierarchical structure is initially used to train different second-level classifiers. In the hierarchical case, a model is learned to distinguish a second-level category from other categories within the same top level. In the flat non-hierarchical case, a model distinguishes a second-level category from all other second-level categories. Scoring rules can further take advantage of the hierarchy by considering only second-level categories that exceed a threshold at the top level.

We use support vector machine (SVM) classifiers, which have been shown to be efficient and effective for classification, but not previously explored in the context of hierarchical classification. We found small advantages in accuracy for hierarchical models over flat models. For the hierarchical approach, we found the same accuracy using a sequential Boolean decision rule and a multiplicative decision rule. Since the sequential approach is much more efficient, requiring only 14%-16% of the comparisons used in the other approaches, we find it to be a good choice for classifying text into large hierarchical structures.

KEYWORDS
Text classification, text categorization, classification, support vector machines, machine learning, hierarchical models, web hierarchies

INTRODUCTION
With the exponential growth of information on the internet and intranets, it is becoming increasingly difficult to find and organize relevant materials. More and more, simple text retrieval systems are being supplemented with structured organizations. Since the 19th century, librarians have used classification systems like Dewey and Library of Congress subject headings to organize vast amounts of information. More recently, web directories such as Yahoo! and LookSmart have been used to classify web pages. Structured directories support browsing and search, but the manual nature of the directory compiling process makes it difficult to keep pace with the ever increasing amount of information. Our work looks at the use of automatic classification methods to supplement human effort in creating structured knowledge hierarchies.

A wide range of statistical and machine learning techniques have been applied to text categorization, including multivariate regression models [8,22], nearest neighbor classifiers [26], probabilistic Bayesian models [13,16], decision trees [16], neural networks [22,25], symbolic rule learning [1,4], and support vector machines [7,12]. These approaches all depend on having some initial labeled training data from which category models are learned. Once category models are trained, new items can be added with little or no additional human effort.

Although many real world classification systems have complex hierarchical structure (e.g., MeSH, U.S. Patents, Yahoo!, LookSmart), few learning methods capitalize on this structure. Most of the approaches mentioned above ignore hierarchical structure and treat each category or class separately, thus in effect “flattening” the class structure. A separate binary classifier is learned to distinguish each class from all other classes. The binary classifiers can be considered independently, so an item may fall into none, one, or more than one category. Or they can be considered as an m-ary problem, where the best matching category is chosen. Such simple approaches work rather well on small problems, but they are likely to be difficult to train when there are a large number of classes and a very large number of features. By utilizing known hierarchical structure, the classification problem can be decomposed into a set of smaller problems corresponding to hierarchical splits in the tree. Roughly speaking, one first learns to distinguish among classes at the top level, then lower level distinctions are learned only within the appropriate top level of the tree. Each of these sub-problems can be solved much more efficiently, and hopefully more accurately as well.

The use of a hierarchical decomposition of a classification problem allows for efficiencies in both learning and representation. Each sub-problem is smaller than the original problem, and it is sometimes possible to use a much smaller set of features for each [13]. The hierarchical structure can also be used to set the negative set for discriminative training and at classification time to combine information from different levels. In addition, there is some
evidence that decomposing the problem can lead to more accurate specialized classifiers. Intuitively, many potentially good features are not useful discriminators in non-hierarchical representations. Imagine a hierarchy with two top-level categories ("Computers" and "Sports"), and three subcategories within each ("Computers/Hardware", "Computers/Software", "Computers/Chat", "Sports/Chat", "Sports/Soccer", "Sports/Football"). In a non-hierarchical model, a word like "computer" is not very discriminating since it is associated with items in "Computers/Software", "Computers/Hardware", and "Computers/Chat". In a hierarchical model, the word "computer" would be very discriminating at the first level. At the second level more specialized words could be used as features within the top-level "Computer" category. And, the same features could be used at the second level for two different top-level classes (e.g., "chat" might be a useful feature for both the category "Sports/Chat", and "Computers/Chat"). Informal failure analyses of classification errors for non-hierarchical models support this intuition. Many of the classification errors are for related categories (e.g., a page about "Sports/Soccer" might be confused with "Sports/Football", thus category specific features should improve accuracy).

Recently several researchers have investigated the use of hierarchies for text classification, with promising results. Our work differs from earlier work in a couple of important respects. First, we test the approach on a large collection of very heterogeneous web content, which we believe is increasingly characteristic of information organization problems. Second, we use a learning model, support vector machine (SVM), that has not previously been explored in the context of hierarchical classification. SVMs have been found to be more accurate for text classification than popular approaches like naïve Bayes, neural nets, and Rocchio [7, 12, 27]. We use a reduced-dimension binary-feature version of the SVM model that is very efficient for both initial learning and real-time classification, thus making it applicable to large dynamic collections. We will briefly review the earlier work and contrast it with ours.

RELATED WORK

Reuters

Much of the previous work on hierarchical methods for text classification uses the Reuters-22173 or Reuters-21578 articles. This is a rather small and tidy collection, and this alone is problematic for understanding how the approaches generalize to larger more complex internet applications. In addition, the Reuters articles are organized into 135 topical categories with no hierarchical structure. To study hierarchical models, researchers have added one level of hierarchical structure manually. Kohler and Sahami [13] generated a small hierarchical subset of Reuters-22173 by identifying labels that tended to subsume other labels (e.g., corn and wheat are subsumed by grain). The largest of their hierarchies consisted of 939 documents organized into 3 top-level and 6 second-level categories. They compared naïve Bayes, and two limited dependency Bayes net classifiers on flat and hierarchical models. Test documents were classified into the hierarchy by first filtering them through the single best matching first level class and then sending them to the appropriate second level. Note that errors made at the first level are not recoverable, so the system has to make k correct classification for a k-level hierarchy. They found advantages for the hierarchical models when a very small number of features (10) were used per class. For larger numbers of features (which will be required in many complex domains) no advantages for the hierarchical models were found.

Weigend et al. [25] also used the Reuters-22173 collection. An exploratory cluster analysis was first used to suggest an implicit hierarchical structure, and this was then verified by human assignments. They created 4 top-level categories (agriculture, energy, foreign exchange, and metals) and a 5th miscellaneous category that was not used for evaluation. The final evaluations were on 37 categories with at least 16 positive training examples. They used a probabilistic approach that frames the learning problem as one of function approximation for the posterior probability of the topic vector given the input vector. They used a neural net architecture and explored several input representations. Information from each level of the hierarchy is combined in a multiplicative fashion, so no hard decisions have to be made except at the leaf nodes. They found a 5% advantage in average precision for the hierarchical representation when using words, but not when using latent semantic indexing (LSI) features.

D'Alessio et al. [6] used the Reuters-21578 articles. The hierarchy they use comes from Hayes and Weinstein's original Reuters experiments [9]. It consists of 5 meta-category codes (economic indicator, currency, corporate, commodity, energy) that include all but three of the original categories. For their experiments they only considered articles that had a single category tag, and the 37 categories with more than 20 positive training examples. Their model requires hard assignment at each branch of the tree. The hierarchical model showed 2-4% improvements in precision and recall over the flat model, and modifications to the hierarchy led to advantages of 2-9%.

Ng et al. [19] also used a hierarchical version of Reuters that consisted of countries at the top level and two topical levels below that, but they did not compare their hierarchical model against a flat model. While all of this work is encouraging, the Reuters collection is small and very well organized compared with many realistic applications.

MeSH, U.S. patents

Some researchers have investigated text classification in domains that have rich hierarchical taxonomies (e.g., MeSH, IDC codes of diseases, U.S. patent codes). The size and complexity of the medical and patent hierarchies are like those used for web content. These hierarchies were
designed for controlled vocabulary tagging and they have been extensively refined over the years. Ruiz and Srinivasan [21] used a hierarchical mixture of experts to classify abstracts within the MeSH sub-category Heart. They learned classifiers at different levels of granularity, with the top-level distinctions serving as “gates” to the lower level “experts”. They found small advantages for the hierarchical approach compared with a flat approach. Larkey [15] compared hierarchical and flat approaches for classifying patents in the Speech Signal Processing sub-category. She found no multilevel algorithms that performed significantly better than a flat one which chooses among all the speech classes.

Web
McCallum, et al. [17] describe some interesting experiments on three hierarchical collections -- Usenet news, the Science sub-category of Yahoo!, and company web pages. The Yahoo! sub-collection is most closely related to our experiments, although it is less diverse since all items come from the same top-level category. They used a probabilistic Bayesian framework (naive Bayes), and a technique called “shrinkage” to improve parameter estimates for the probability of words given classes. The idea is to smooth the parameter estimate of a node by interpolation with all its parent nodes (given by the hierarchical organization of classes). This is especially useful for classes with small numbers of training examples. For the Usenet collection, the best performance and largest advantages of the hierarchical model over the flat model are observed for large numbers of features (10,000). For the Yahoo! sub-collection, accuracy is low and there is a much smaller difference between two approaches

Mladenic and Grobelnik [18] examined issues of feature selection for hierarchical classification of web content, but they did not compare hierarchical models with flat non-hierarchical models. Chakrabarti et al. [2] also experimented with web content as well as patent and Reuters data. They use hierarchical structure both to select features and to combine class information from multiple levels of the hierarchy. For the non-hierarchical case, they use a simple vector method with term weighting and no feature selection. They find no advantages for the hierarchical approach in Reuters, a small advantage in the patents collection, and did not test the difference for the Yahoo! sub-collection. But, because they used different representations, it is difficult to know whether differences are due to the number of features, feature selection, or the hierarchical classification algorithm.

Our work explores the use of hierarchies for classifying very heterogeneous web content. We use SVMs, which have been found to be efficient and effective for text classification, but not previously explored in the context of hierarchical classification. The efficiency of SVMs for both initial learning and real-time classification make them applicable to large dynamic collections like web content. We use the hierarchical structure for two purposes. First, we train second-level category models using different contrast sets (either within the same top-level category in the hierarchical case, or across all categories in the flat non-hierarchical case). Second, we combine scores from the top- and second-level models using different combination rules, some requiring a threshold to be exceeded at the top level before second level comparisons are made. The sequential approach is especially efficient for large problems, but how it compares in accuracy is not known. All of our models allow for each test item to be assigned to multiple categories.

WEB DATA SET AND APPLICATION
Application -- Classifying web search results
We are interested in moving beyond today’s ranked lists of results by organizing web search results into hierarchical categories. HCI researchers have shown usability advantages of structuring content hierarchically [3, 10, 14]. For information as varied and voluminous as the web it is necessary to create these structures automatically. Several groups have explored methods for clustering search results. Zamir and Etzioni [29] grouped web search results using suffix tree clustering, and Hearst and Pedersen [11] used Scatter/Gather to organize and browse search results. While these methods show some promise, the computational complexity of clustering algorithms limits the number of documents that can be processed, and generating names for the resulting categories is a challenge.

The basic idea behind our work is to use classification techniques to automatically organize search results into existing hierarchical structures. Classification models are learned offline using a training set of human-labeled documents and web categories. Classification offers two advantages compared to clustering -- run time classification is very efficient, and manually generated category names are easily understood. To support our goal of automatically classifying web search results two constraints are important in understanding the classification problems we studied.

First, we used just the short summaries returned from web search engines since it takes too long to retrieve the full text of pages in a networked environment. These automatically generated summaries are much shorter than the texts used in most classification experiments, and they are much noisier than other document surrogates like abstracts that some have worked with. Second, we focused on the top levels of the hierarchy since we believe that many search results can be usefully disambiguated at this level. We also developed an interface that tightly couples search results and category structure, and found large preference and performance advantages for automatically classified search results (see Chen and Dumais [3] for details). For the experiments reported in this paper, we focused on the top two levels of the hierarchy, and used short automatically generated summaries of web pages.
LookSmart Web Directory
For our experiments, we used a large heterogeneous collection of pages from LookSmart's web directory [30]. At the time we conducted our experiments in May 1999, the collection consisted of 370,597 unique pages that had been manually classified into a hierarchy of categories by trained professional web editors. There were a total of 17,173 categories organized into a 7-level hierarchy. We focused on the 13 top-level and 150 second-level categories.

Training/Test Selection
We selected a random 16% sample of the pages for our experiments. We picked this sampling proportion to ensure that even the smallest second-level categories would have some examples in our training set. We used 50,078 pages for training, and 10,024 for testing. Table 1 shows the number of pages in each top level category. Top level categories had between 578 and 11,163 training examples, and second-level categories had between 3 and 3,141 training examples. The wide range in number of pages in each category reflects the distribution in the LookSmart directory. Pages could be classified into more than one category. On average, pages were classified into 1.20 second-level categories and 1.07 first-level categories.

<table>
<thead>
<tr>
<th>Category Name</th>
<th>Total</th>
<th>Train</th>
<th>Test</th>
</tr>
</thead>
<tbody>
<tr>
<td>Automotive</td>
<td>4982</td>
<td>578</td>
<td>114</td>
</tr>
<tr>
<td>Business &amp; Finance</td>
<td>31,599</td>
<td>3,508</td>
<td>703</td>
</tr>
<tr>
<td>Computers &amp; Internet</td>
<td>46,000</td>
<td>5,718</td>
<td>1,126</td>
</tr>
<tr>
<td>Entertainment &amp; Media</td>
<td>88,697</td>
<td>11,163</td>
<td>2,159</td>
</tr>
<tr>
<td>Health &amp; Fitness</td>
<td>25,380</td>
<td>3,500</td>
<td>722</td>
</tr>
<tr>
<td>Hobbies &amp; Interests</td>
<td>2,295</td>
<td>322</td>
<td>682</td>
</tr>
<tr>
<td>Home &amp; Family</td>
<td>1,148</td>
<td>137</td>
<td>280</td>
</tr>
<tr>
<td>People &amp; Chat</td>
<td>3,515</td>
<td>330</td>
<td>682</td>
</tr>
<tr>
<td>Reference &amp; Education</td>
<td>58,002</td>
<td>5,574</td>
<td>1,175</td>
</tr>
<tr>
<td>Shopping &amp; Services</td>
<td>19,667</td>
<td>2,122</td>
<td>423</td>
</tr>
<tr>
<td>Society &amp; Politics</td>
<td>3,896</td>
<td>485</td>
<td>946</td>
</tr>
<tr>
<td>Sports &amp; Recreation</td>
<td>23,559</td>
<td>3,081</td>
<td>640</td>
</tr>
<tr>
<td>Travel &amp; Vacations</td>
<td>43,685</td>
<td>5,490</td>
<td>1,009</td>
</tr>
<tr>
<td>Total Unique</td>
<td>370,597</td>
<td>50,078</td>
<td>10,024</td>
</tr>
</tbody>
</table>

Table 1 - Training and Test Samples by Category

Pre-processing
A pre-processing module extracted plain text from each web page. In addition, the title, description and keywords fields from the META tag, and the ALT field from the IMG tag were also extracted if they existed because they provide useful descriptions of the web page. If a web page contained frames, text from each frame was extracted. Since we were interested in classifying web search results, we needed to work with just short summary descriptions of web pages. We automatically generated summaries of each page and used this for evaluating our classification algorithms. Our summaries consisted of the title, the keywords, and either the description tag if it existed or the first 40 words of the body otherwise.

We did minimal additional processing on the text. We translated upper to lower case, used white space and punctuation to separate words, and used a small stop list to omit the most common words. No morphological or syntactic analyses were used.

After preprocessing, a binary vector was created for each page indicating whether each term appeared in the page summary or not. For each category 1000 terms were selected based on the mutual information between the term and category (details below). Unlike many text retrieval applications, term frequency and document length are not taken into account in this representation, because earlier experiments showed good performance with the binary representation for SVMs [7], and this representation improves efficiency.

TEXT CLASSIFICATION USING SVMs
Text classification involves a training phase and a testing phase. During the training phase, a large set of web pages with known category labels are used to train a classifier. An initial model is built using a subset of the labeled data, and a holdout set is used to identify optimal model parameters. During the testing or operational phase, the learned classifier is used to classify new web pages.

A support vector machine (SVM) algorithm was used as the classifier, because it has been shown in previous work to be both very fast and effective for text classification problems [7, 12, 27]. Vapnik introduced SVMs in his work on structural risk minimization [23, 24], and there has been a recent surge of interest in SVM classifiers in the learning community. In its simplest form, a linear SVM is a hyperplane that separates a set of positive examples from a set of negative examples with maximum margin. The margin is the distance from the hyperplane to the nearest of the positive and negative examples.

Figure 1 shows an example of a simple two-dimensional problem that is linearly separable.

![Graphical Representation of a Linear SVM](image)

Figure 1 - Graphical Representation of a Linear SVM

In the linearly separable case maximizing the margin can be expressed as an optimization problem:

$$\text{minimize} \quad \frac{1}{2} \| \omega \|^2 \quad \text{subject to} \quad y_i (\omega \cdot \bar{x}_i - b) \geq 1, \forall i$$
explore the optimum number of features for this problem. For the non-hierarchical case, we select the 1000 features and categories. We compute the mutual information between every pair of features and categories. The mutual information \( \text{MI}(F, C) \) between a feature, \( F \), and a category, \( C \), is defined as:

\[
\text{MI}(F, C) = \sum_{f \in F} \sum_{c \in C} \frac{P(F, C) \log \frac{P(F, C)}{P(F)P(C)}}
\]

We compute the mutual information between every pair of features and categories.

For the non-hierarchical case, we select the 1000 features with the largest MI for each of the 150 categories (vs. all the other categories). For the hierarchical case, we select 1000 features with the largest MI for each of the 13 top-level categories, and also select the 1000 features for each of the 150 second-level categories (vs. the categories that share the same top-level category). We did not rigorously explore the optimum number of features for this problem, but these numbers provided good results on a training validation set so they were used for testing. In all cases, the selected features are used as input to the SVM algorithm that learns the optimum weights for the features, \( \tilde{w} \).

**SVM Parameters**

In addition to varying the number of features, SVM performance is governed by two parameters, \( C \) (the penalty imposed on training examples that fall on the wrong side of the decision boundary), and \( p \) (the decision threshold). The default \( C \) parameter value (0.01) was used.

The decision threshold, \( p \), can be set to control precision and recall for different tasks. Increasing \( p \) results in fewer test items meeting the criterion, and this usually increases precision but decreases recall. Conversely, decreasing \( p \) typically decreases precision but increases recall. We chose \( p \) so as to optimize performance on the \( F_1 \) measure on a training validation set. For the flat non-hierarchical models, \( p=0.5 \). For the hierarchical models, \( p=0.2 \) (first level) and \( p=0.5 \) (second level) for the Boolean decision rule.

**RESULTS**

As just described decision thresholds were established on a training validation set. For each category, if a test item exceeds the decision threshold, it is judged to be in the category. A test item can be in zero, one, or more than one categories. From this we compute precision \( (P) \) and recall \( (R) \). These are micro-averaged to weight the contribution of each category by the number of test examples in it. We used the \( F \) measure to summarize the effects of both precision and recall. With equal weights assigned to precision and recall, \( F_1 = 2\times p \times R / (P + R) \).

For each test example, we compute the probability of it being in each of the 13 top-level categories and each of the 150 second-level categories. Recall that for the non-hierarchical case, models were learned (and features chosen) to distinguish each category from all other categories, and that for the hierarchical case, models were learned (and features chosen) to distinguish each category from only those categories within the same top-level category. We explored two general ways to combine probabilities from both the first and second level for the hierarchical approach. In one case we first set a threshold at the top level and only match second-level categories that pass this test — that is we compute a Boolean function \( P(L1) \& \& P(L2) \). In order to be correctly classified, a test instance must satisfy both constraints. This method is quite efficient, since large numbers of second-level categories do not need to be tested. In the other case, we compute \( P(L1) \times P(L2) \). This approach allows matches even though the scores at one level fall below threshold. Although the non-hierarchical models are not trained to use top-level information, we can compute the same probabilities for this case as well.
**Learned Features**

There are many differences in the learned features for the hierarchical and non-hierarchical models. For example, the feature "sports" is useful in distinguishing the top-level category Sports & Recreation from the other top-level categories. The feature "sports" is also useful for distinguishing between some second-level categories -- it has a high weight for News & Magazines (under Society & Politics), SportingGoods (under Shopping & Services), and Collecting (under Hobbies & Interests). But, the feature "sports" is not selected for any categories using the flat non-hierarchical approach. It is difficult to study this systematically, but the different learning approaches are serving an important role in feature selection and weighting.

**F, Accuracy**

**Top Level**

The overall F1 value for the 13 top-level categories is .572. Classifying short summaries of very heterogeneous web pages is a difficult task, so we did not expect to have exceptionally high accuracy. Performance on the original training set is only .649, so this is a difficult learning task and generalization to the test set is quite reasonable. This level of accuracy is sufficient to support some web search tasks [3], and could also be used as an aid to human indexers. In addition, we know that we can improve the absolute level of performance by 15%-20% using the full text of pages, and by optimizing the C parameter. What is of more interest to us here is the comparative performance of hierarchical and non-hierarchical approaches.

**Second Level, Non-Hierarchical (Baseline)**

The overall F1 value for the 150 second-level categories, treated as a flat non-hierarchical problem, is .476. There is a drop in performance in going from 13 to 150 categories. Performance for the 150 categories is better than the .364 value reported by McCallum et al. [17], but it is difficult to compare precisely because they use average precision not F1, the categories themselves are different, and they use the full text of pages. The .476 non-hierarchical value will serve as the baseline for looking at the use of hierarchical models.

Performance varies widely across categories. The five categories with highest and lowest F1 scores (based on at least 30 test instances) are shown in Table 2.

The most difficult categories to learn models for are those based, at least in part, on non-content distinctions. It might be useful to learn models for genre (e.g., for kids, magazines, web) in addition to our current use of content-based models.

**Second Level, Hierarchical**

As described above, we examined both a multiplicative scoring function, $P(L1)*P(L2)$, and a Boolean scoring function, $P(L1)\&P(L2)$. The former allows for matches that fall below individual thresholds, and the latter requires that the threshold be exceeded at every level. Both scoring rules allow items to be classified into multiple classes.

The overall F1 value for the $P(L1)*P(L2)$ scoring function is .495, at the threshold of $p=0.20$ established on the validation set. This represents a 4% improvement over the baseline flat models, and is statistically significant using a sign test, $p<.01$. The overall F1 value for the $P(L1)\&P(L2)$ scoring function is .497, at the thresholds of $p_1=0.20$ and $p_2=0.50$ established on the validation set. This again is a small improvement over the non-hierarchical model, and is significantly different than the baseline using a sign test, $p<0.01$. Somewhat surprisingly, there is no difference between the sequential Boolean rule and the multiplicative scoring rule. The added efficiencies that can be obtained with the hierarchical model and the Boolean rule make it a good overall choice, as we discuss in more detail below.

An upper bound on the performance of these hierarchical models can be obtained by assuming that the top-level classification is correct (i.e., $P(L1)=1$). In this case, performance is quite good with an F1 value of .711, so there is considerable room for improvement.

<table>
<thead>
<tr>
<th>Category Name</th>
<th>Best F1</th>
<th>Worst F1</th>
</tr>
</thead>
<tbody>
<tr>
<td>Health &amp; Fitness/Drugs &amp; Medicines</td>
<td>0.841</td>
<td>0.034</td>
</tr>
<tr>
<td>Home &amp; Family/Real Estate</td>
<td>0.797</td>
<td>0.088</td>
</tr>
<tr>
<td>Reference &amp; Education/K-12 Education</td>
<td>0.781</td>
<td>0.122</td>
</tr>
<tr>
<td>Sports &amp; Recreation/Fishing</td>
<td>0.750</td>
<td>0.131</td>
</tr>
<tr>
<td>Reference &amp; Education/Higher &amp; Cont. Ed.</td>
<td>0.741</td>
<td>0.133</td>
</tr>
</tbody>
</table>

**Table 2 - Best and worst F1 score by category**

**Efficiency**

**Offline training**

As noted earlier, linear SVM models can be learned quite efficiently with Platt’s SMO algorithm. The total training time for all the models described in the paper was only about 30 minutes. Training time for all the non-hierarchical models on 50078 examples in each of 150 categories was 729 CPU seconds. Training time for all 150 hierarchical second-level models was 128 CPU seconds. Training is faster here because the negative set is smaller, including only items in the same top-level category. Training time for the 13 top-level categories was 1258 CPU seconds. All times were computed on a standard 266MHz Pentium II PC running Windows NT.

**Online evaluation**

At run time we need to take the dot product of the learned weight vector for each category and the feature vector for the test item. The cost of this operation depends on the number of features and the number of categories.
Efficiency can be improved if some category comparisons can be omitted without hurting accuracy. As we have seen above, the Boolean decision function accomplishes this with no decrease in classification accuracy. For the non-hierarchical model, each test instance must be compared with all 150 second-level categories. For the hierarchical model with the multiplicative scoring rule, each test instance must be compared to all 13 first-level categories and all 150 second-level categories. For the Boolean scoring rule, each test instance must be compared to all 13 first-level categories but only to second-level categories that pass the first-level criterion. For the top-level threshold value of $p=0.20$, only 7.4% of the second-level categories need to be examined. Top-level comparisons are still required for the Boolean decision rule, so overall 14.8% of the comparisons used for the multiplicative rule and 16.1% of the comparisons used for the non-hierarchical model are required, both representing a considerable savings at evaluation time.

**CONCLUSION**

The research described in this paper explores the use of hierarchical structure for classifying a large, heterogeneous collection of web content to support classification of search results. We used SVMs, which have been found to be an efficient and effective learning method for text classification, but not previously explored for hierarchical problems. We use the hierarchical structure for two purposes. First, we train second-level category models using different contrast sets (either within the same top-level category in the hierarchical case, or across all categories in the non-hierarchical case). Second, we combine scores from the top- and second-level models using different combination rules, some requiring a threshold to be exceeded at the top level before comparisons at the second level are made.

We found small advantages in the $F_1$ accuracy score for the hierarchical models, compared with a baseline flat non-hierarchical model. We found no difference between a multiplicative scoring function and a sequential Boolean function for combining scores from the two levels of the hierarchy. Since the sequential Boolean approach is much more efficient, requiring only 14%-16% of the number of comparisons, we find it to be a good choice.

There are a number of interesting directions for future research. We should be able to obtain further advantages in efficiency in the hierarchical approach by reducing the number of features needed to discriminate between categories within the same top-level category. Koller and Sahami [13] have shown that one can dramatically reduce the number of features for simple Reuters categories without decreasing accuracy too much, and this is definitely worth trying with our content and learning algorithm. There are some preliminary indications that this will work in our application. The SVM model assigns a weight of 0 to features that are not predictive (and could thus be omitted). We find a larger number of features with 0 weights in the hierarchical case (137 per 1000) than the non-hierarchical case (85 per 1000). There are also many near-zero weights that contribute little to the overall score. Varying the number of features for further efficiency gains seems promising to try with our content and learning model.

The sequential decision model provides large efficiency gains, so it will be important to see how it generalizes to more than two levels, where error cascading may be more of an issue. There are at least two ways to address the problem. One involves improved classifiers and methods for setting appropriate decisions thresholds at multiple levels. Another approach is through the use of interactive interfaces so that people are involved in making some of the critical decisions. This is a rich space for further exploration.

Our research adds to a growing body of work exploring how hierarchical structures can be used to improve the efficiency and efficacy of text classification. We worked with a large, heterogeneous collection of web content -- a scenario that is increasingly characteristic of the information management tasks that individuals and organizations face. And, we successfully extended SVM models to an application that takes advantage of hierarchical structure, for both category learning and run time efficiencies.

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